

Tariffs and the Trade Deficit

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Tariffs

- Stated goal of Trump's trade policy: reduce the current account deficit
- Several issues:
 - ▶ Misplaced focus on bilateral deficits
 - ▶ Not clear what welfare basis for targeting deficit
- Here more basic issue: does trade policy affect the trade deficit and why?

Trade openness and deficits

- Macro gut reaction: deficits depends on aggregate saving and investment, why should trade policy affect them?
- Things are subtler:
 - ▶ intertemporal trade: you have to get goods from country 1 to country 2 when country 1 is borrowing, then from country 1 to country 2 when it's repaying
 - ▶ if it you add frictions to both movements, it must make it harder to borrow, so affect saving/lending decisions
- Point made in Obstfeld and Rogoff (2000)
- Recently quantitative work explores the idea in rich firm-level trade models: Fitzgerald (2008), Eaton-Kortum-Neiman (2016), Alessandria and Choi (2016), Reyes-Heroles (2017)

This talk

- Review the intertemporal argument
- What if trade deficits are persistent/structural?
- Explore 2 models where trade deficits can be permanent
 - ▶ A model of US as world supplier of safe assets
 - ▶ An OLG model with saving imbalances
- Results: effects of tariffs on deficit can be small, zero, negative...

The intertemporal argument

- Simple 2x2x2 endowment economy
- 2 countries, 2 goods, 2 periods
- Cobb-Douglas preferences with home bias:

$$c_t = (c_{H,t})^\omega (c_{F,t})^{1-\omega},$$

$$c_t^* = (c_{F,t}^*)^\omega (c_{H,t}^*)^{1-\omega},$$

- Notice that H and F are flipped in the second
- Assume

$$\omega > 1/2$$

The intertemporal argument (continued)

- Demand for H,F

$$c_{H,t} = \frac{\omega}{p_{H,t}} p_t c_t$$

$$c_{F,t} = \frac{1 - \omega}{(1 + \tau) p_{F,t}} p_t c_t$$

- Agents save in international bond a_1
- Three equilibrium conditions, three relative prices
- Equilibrium in bond market, equilibrium in good H in each t
- Simple transfer effect

$$\omega p_t c_t + (1 - \omega) p_t^* c_t^* = p_{H,t} e_H$$

with $\omega > 1/2$ more spending to $H \rightarrow$ higher $p_{H,t}/p_{F,t}$

The intertemporal argument (continued)

- What is the effect of a permanent tariff τ on saving behavior?
- Works through Euler equation

$$u'(c_1) = (1 + i_1) \frac{p_1}{p_2} \beta u'(c_2),$$

- Real interest rate different in the two countries because they consume different baskets
- Express all prices in same currency

$$p_t = p_{H,t}^\omega ((1 + \tau) p_{F,t})^{1-\omega}.$$

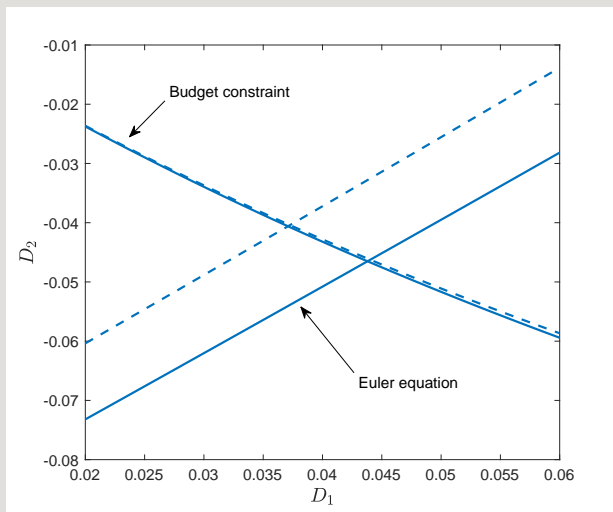
Real interest rates

- Combine Euler equations for both countries, rearrange

$$\frac{u'(c_1)}{u'(c_2)} = \left(\frac{\frac{p_{H,1}}{p_{F,1}}}{\frac{p_{H,2}}{p_{F,2}}} \right)^{2\omega-1} \frac{u'(c_1^*)}{u'(c_2^*)}$$

- The tariff is not there, because it's permanent
- Still in GE it matters, because it moves relative prices...
- 2 equilibrium equations: one from Euler equation, one from budget constraint

Effect of a tariff



D_t : trade deficit of H country

Effects of a tariff (continued)

- **Result 1:** home tariff increases the real interest rate relatively more for the home country

$$\frac{u'(c_1)}{u'(c_2)} = \left(\frac{\frac{p_{H,1}}{p_{F,1}} \uparrow\uparrow}{\frac{p_{H,2}}{p_{F,2}} \uparrow} \right)^{2\omega-1} \frac{u'(c_1^*)}{u'(c_2^*)}$$

- Why? Because in period 1 home country spending is bigger fraction of world spending, so distortions in home spending have bigger effects on relative prices

Effects of trade war

- **Result 2:** both countries imposing a tariff also increases the real interest rate relatively more for the home country

$$\frac{u'(c_1)}{u'(c_2)} = \left(\frac{\frac{p_{H,1}}{p_{F,1}} \downarrow}{\frac{p_{H,2}}{p_{F,2}} \downarrow\downarrow} \right)^{2\omega-1} \frac{u'(c_1^*)}{u'(c_2^*)}$$

- Why? Because in period 2 foreign country spending is bigger fraction of world spending
- Same logic applies to reduction in trading costs. Reyes-Heroles connects increase in trade to increase in global imbalances

Remarks

- Crucial element: deficits are transitory
- Borrow today to repay tomorrow
- Representative agent bridges both periods, so incentives depend on real rate across periods when $D < 0$ and $D > 0$
- What happens if deficits are “structural”?
- (US has trade deficit since the late 70s)
- Explore 2 models where asset trading structure is different so deficits can be permanent

A model of world liquidity supply

- Same 2 goods structure, same endowment economies, same Cobb-Douglas preferences with home bias
- Different reason for trading assets
- Preferences of H consumer

$$\int_0^{\infty} e^{-\rho t} \left(u(c(t)) + v \left(\frac{b(t)}{p(t)} \right) \right) dt$$

- Continuous time, infinite horizon (not crucial)
- $v(b/p)$ demand for liquid bonds (crucial)

A model of world liquidity supply (continued)

- Both home and foreign consumers demand liquid bonds
- Only entity that supplies liquid bonds is H government
- Gov't budget constraint

$$\dot{B} + \tau p_F c_F = T + i_b B$$

- Liquidity premium

$$(i - i_b) u'(c) = v' \left(\frac{b}{p} \right)$$

where i rate of return on illiquid assets, i_b rate of return on liquid bonds

- Very similar to traditional money demand

Permanent trade deficit

- Suppose all endowments grow at rate g
- Steady state equilibrium with all prices constant, all quantities growing at rate g
- H gov't keeps i_b stable
- Consolidated budget constraint of country H in steady state

$$\underbrace{p_F c_F}_{\text{imports}} - \underbrace{p_H (e_H - c_H)}_{\text{exports}} = \underbrace{ia - i_b b^*}_{\text{interest payments}} - \underbrace{g(a - b^*)}_{\text{current account balance}}$$
$$= (i - g)a + (g - i_b)b^*$$

- **Result:** if parameters satisfy some conditions equilibrium with $a > 0$, $b^* > a$, $i > g > i_b$
- Simple world banker country (Rey-Gourinchas)

Effects of tariff

- Tariff introduced at $t = 0$, economy jumps to new steady state
- Where, depends on valuation effects
- Simple case: suppose all assets denominated in F
- Foreign country wealth excluding liquid asset has flow value:

$$e_F^* - (i - g)a$$

- \rightarrow unchanged demand for liquid asset b^*
- \rightarrow unchanged consumer spending

$$p^* c^* = e_F^* - (i - g)a$$

- however $p^* \uparrow$ and $c^* \downarrow$

Effects of tariff (continued)

- For domestic consumer

$$\uparrow (p_H c_H + p_F c_F) = \uparrow p_H e_H + (i - g)a + (g - i_b)b^*$$

- But the “privilege” $(i - g)a + (g - i_b)b^*$ remains unchanged
- **Result:** zero effect on the trade deficit
- Trade deficit over GDP goes down because GDP higher (terms of trade effect)

Valuation effects

- a more realistic configuration: a denominated in F , b denominated in H
- now two effects that tend to reduce trade deficit:
 - ▶ value of home net financial wealth $a_- - b_-^*$ goes down
 - ▶ value of foreign total wealth (including non-financial wealth) $p_F e_F / (i - g) - (a_- - b_-^*)$ also goes down
- second effect reduces demand for b^* , first effect means domestics have to shed a
- lower a , lower b^* , less “privilege”
- *welfare remark*: a reduction of the trade deficit in this environment dampens the unilateral welfare benefits of imposing a tariff

Trade war

- all effects above where due to changes in p_H/p_F
- with trade war everything goes in reverse
- **Result:** an increase in both countries' tariffs that keeps p_H/p_F unchanged have zero effects on the trade deficit

Remarks on exchange rate

- Results are in flexible price environment
- Can be interpreted as full employment achieved by CB
- Interpretation is exchange rate adjusts to undo effects of tariff
- Not Lerner symmetry (Costinot-Werning 2019), here just a tariff
- But related to observations about effects of temporary/permanent imp. tariff+exp. subsidy policies in Erceg, Prestipino, Raffo (2017)

An OLG economy

- once more, same goods structure
- now overlapping generations, preferences

$$u(c_{t,t}) + \beta u(c_{t,t+1})$$

- two assets: domestic capital k and international bonds a
- budget constraints

$$\frac{a_{t+1}}{p_t} + k_{t+1} + c_{t,t} = w_t + T_t^y$$

$$c_{t,t+1} = \rho_{t+1} k_{t+1} + (1 - \delta) k_{t+1} + (1 + i_t) \frac{a_{t+1}}{p_{t+1}} + T_{t+1}^o$$

An OLG economy (continued)

- Both c and k same aggregates of H and F
- Optimal savings

$$u'(c_{t,t}) = \beta(1 + r_t) u'(c_{t,t+1})$$

where

$$1 + r_t = \frac{p_t}{p_{t+1}} (1 + i_t)$$

- Arbitrage

$$1 + r_t = \alpha \frac{p_{H,t+1}}{p_{t+1}} A_{t+1} k_{t+1}^{\alpha-1} + 1 - \delta$$

- Production of home good

$$y_{H,t} = A_{t+1} k_{t+1}^{\alpha}$$

- Assume tariffs rebated to generation t in proportion to their purchases of F goods (no intergenerational transfers)

An OLG economy (continued)

- Find equilibrium prices
- Two market clearing conditions

$$a_t + a_t^* = 0$$

$$x_{H,t} + x_{H,t}^* = y_{H,t}$$

- where $x_{H,t}$ total purchases of home good for consumption and investment

An OLG economy (continued)

- Log preferences
- Productivity grows at constant rate
- Differences in β
- Steady state boils down to one condition

$$(s(1 - \alpha) - \kappa)p_H y_H + (s^*(1 - \alpha) - \kappa^*)p_F y_F = 0$$

- where s saving rate of young, κ investment of young

Savings equilibrium

- In steady state can be rewritten as

$$-(s(1 - \alpha) - \kappa) = (s^*(1 - \alpha) - \kappa^*) \frac{p_F y_F}{p_H y_H}$$

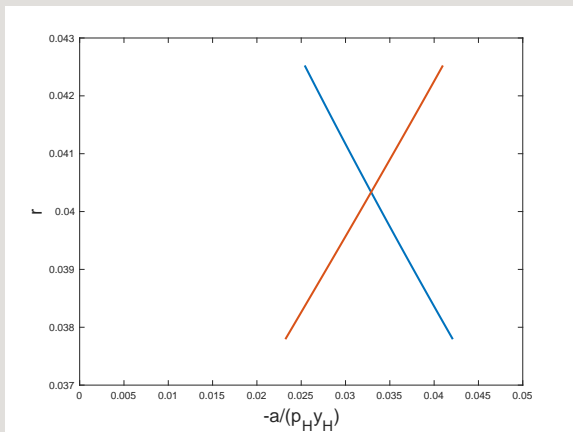
function only of r

- Partial equilibrium effects:
 - ▶ tariff has no effect on s
 - ▶ tariff reduces $p_F y_F / (p_H y_H)$
 - ▶ tariff reduces κ

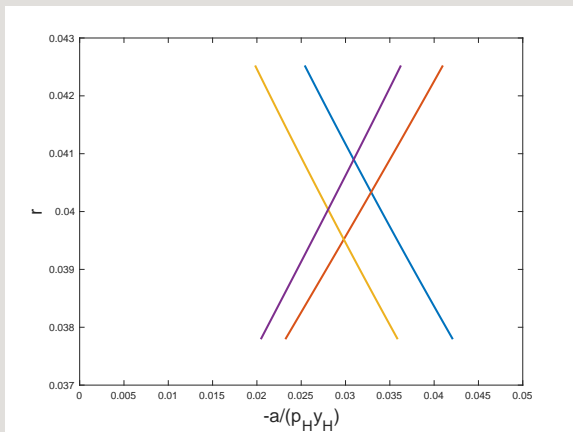
$$1 + r = \alpha \frac{p_H}{p} A k^{\alpha-1} + 1 - \delta$$

- Trade deficit $(g - r)(-a)$, ss with $g > r$

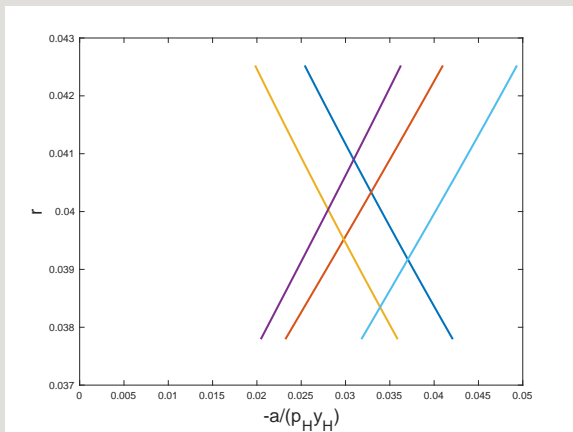
Savings equilibrium (continued)



Tariff



Trade war



Remarks

- Main channel: tariffs depress investment
- Depress natural rate
- Related to observation by Jeanne (2018): trade wars are bad at the ZLB

Conclusions

- Effects of tariffs/trade wars without the real rate effect
- Saving rate not affected
- Valuation effects and effects on investment more important
- Investment effects can depress natural rate